

(starting with 15 Jan 2021 morning
discussion document camera notes)

STAT 206
19 Jan 21
Lecture

Quiz 2
target
tomorrow
night

Take-home test 1 published to you
later today or tomorrow,
"due" about 10-14 days later

DD makeup office hour today
1-time-only
1.25-2.55p

read: Gelman et al. ch 2 (opt. Jaynes ch. 2)

practical significance &
statistical significance

when
comparing
2 or more

summary (e.g., \bar{y}_C & \bar{y}_T in IHGA)

quantitative
case study

practical significance addresses the
question: is the difference large
enough to matter in a real-world sense?

if so, difference is practically significant
(practsig) (large in practical terms)
this involves value

judgments: best source for such
judgments: domain/subject matter
expert(s) in your data science
team

trick₅: instead of looking

at (e.g.) $(\bar{y}_C - \bar{y}_T) = 0.9 - 0.7 = 0.2$
(absolute comparison)

hosp. / 2 yrs \rightarrow 0.1 hosp. / yr \rightarrow
trick₁ (policy) non-instr

Aggregate this over all elderly people
in Denmark } = P (2) the result is
(benefit (needs to trade large cost savings
only) off costs & benefits) for Danish health
care system

② also : better for elderly people ③

trick ② (relative comparison) $\frac{\bar{y}_T - \bar{y}_C}{\bar{y}_C} = -20\%$
 $\bar{y}_C = -0.2$

(really) big 20% improvement in medicine is

would like rule of the form

if relative improvement $\geq C\%$
then practice

no such universal rule exists; it's

problem-specific

(stat sig) statistical significance

$\hat{\theta}$ differs from 0 by a θ amount that's how small is small enough?

stat sig \leftrightarrow the $\hat{\theta}$ is θ small that θ

statistical inference: generalizing
 outward (backwards) from (the sample)
 to the broadest-possible population

pop P
 all non-inst. elderly in Denmark
 in early 1980s under
 # hosp. Y
 N = ?
 (b_{ij})

sample
 the observed
 old. people
 # hosp. Y
 131
 prod.
 0
 0
 2
 ...

representative
 (like-at-random)

mean $\mu_C = ?$

mean $\bar{y}_C = 0.9$

$$\hat{\theta} = \frac{\bar{y}_T - \bar{y}_C}{\bar{y}_C} = -0.2$$

diff. $\hat{\theta}$

$$\hat{\theta} = \frac{\bar{y}_T - \mu_C}{\mu_C}$$

$\mu_C = ?$

statistical inference

drawing conclusions about θ

mean $\mu_T = ?$

mean $\bar{y}_T = 0.7$

mathematics: study of structures

& patterns, & relationships among

them

devil's advocate (DA) (bullshit detector)

we think IHGA works

$\hat{\theta} = -0.2$

DA says: no, IHGA doesn't work
 $\theta = 0$

if $\theta = 0$, you could get $\hat{\theta} = -0.2$ just by unlucky random sampling

$\hat{\theta} = \underline{-0.2} \pm \square$

if small enough, DA is probably wrong

go to p. 3 bottom

unlucky random sampling is a highly unlikely explanation
(this is an inferential conclusion)

R.A. Fisher

stat ✓

practice ✓

eugenics ✗

saying IHGA works
when it really doesn't
(bad & worse)
(false positive)

saying IHGA doesn't
work when it ^{really} does
(false negative)

(bad but less bad)

Fisher's

false ⊕ cutoff

not strict enough

replicability
crisis

only
30-60% of
major studies
actually replication

good data science conclusions
are replicable

core
7 statistical data science activities

wickham: 7 pillars of wisdom
in statistical data science

math:

if A (assumptions)

simple version of
Bayes's Theorem

(IF)

then C (consequences)
(conclusions)

you can ~~uniquely~~
specify $p(\theta|B)$,

$p(D|\theta, B)$, $(A|B)$, $U(a, \theta|B)$,

then Bayes's theorem & its corollaries

specify
the unique optimal

information processing algorithm

statistical data science: building

prob. models for data-generation
Bayes strength
process, & using Bayes as our
optimal algorithm: stat. DS

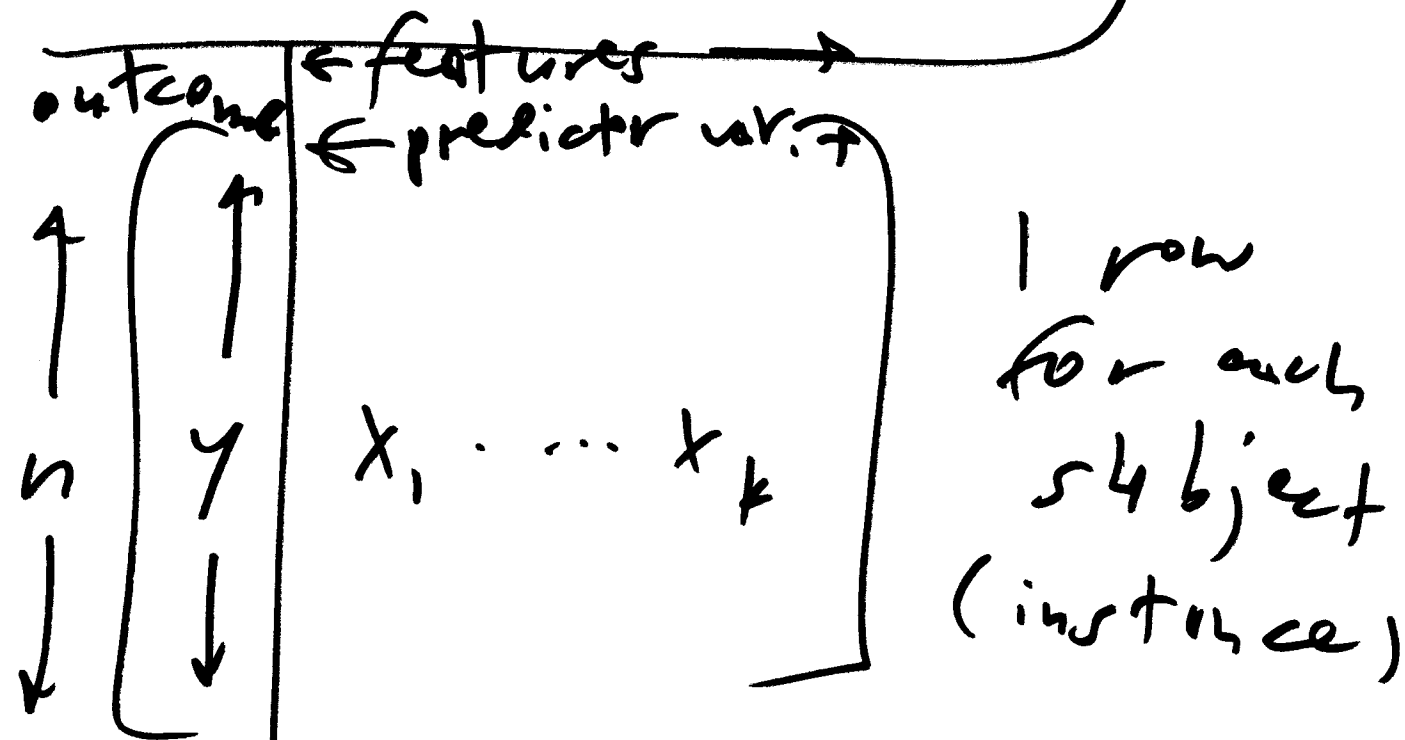
have model uncertainty but
no algorithm uncertainty

(ML)
pure machine learning, DS: specify
task*, find algorithm that does

task well
predict y
from x_1, \dots, x_k

MLDS has algorithm
uncertainty but no
model uncertainty (no model)
ML weather

both stat & ML have both strengths & weaknesses (like: frequentist & Bayesian in prob.)



Big Data: $n = 10^9$, $k = 10^6$

Bayes weakness
ML strength